International Monetary Economics

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Chapter 13 National income accounting and the balance of payments

Outline

• 13.1 GDP versus GNP

- 13.2 Saving, investment and current account balances
- 13.3 The balance of payments

GDP versus GNP

- GDP measures the production within an economy.
- GDP does not measure the income which is available to the domestic population.
- Domestic income is labeled as Gross National Product (GNP)
- Difference between GNP and GDP stems from transactions with the outside world:
 - A person who resides in Germany but works abroad receives a factor income (wage) from abroad. This increases the foreign GDP and the German GNP.
 - A persons who resides in Germany receives factor income in form of interest or dividend income, because he/she owns foreign bonds or stocks.
- For many countries: More or less no difference between GDP and GNP.

GDP versus GNP



GDP versus GNP

Kuwait

- GNP > GDP
- In the past Kuwait was running large current account surpluses due to oil exports.
- Kuwait has accumulated net foreign assets and receives interest and dividend income from abroad.

Ireland

- GNP < GDP
- Foreign companies have invested in Ireland.
- Profits are repatriated to the foreign countries in form of dividends Production in Ireland is high, but income lower.

Composition of GDP for Germany in 2005

$$Y = C + I + G + (EX - IM)$$

| | in bn. EUR | in % of GDP |
|---------------------------------------|------------|-------------|
| Private consumption | 1,329.73 | 59.3 % |
| + Government expenditure | 417.18 | 18.6 % |
| + Investment | 384.67 | 17.1 % |
| = Domestic usage of goods | 2,131.58 | 95.0 % |
| + Current account balance $(EX - IM)$ | 112.07 | 5.0 % |
| = GDP | 2,243.65 | 100.0 % |

Source: Statistisches Bundesamt, Blanchard/Illing p. 83, rounded numbers.

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- Equilibrium condition in the closed economy: Investment = Saving
- BUT: Open economy can use international financial markets to borrow from or lend to foreigners.
- Equilibrium condition for the goods market in the open economy:

$$Y = C + I + G + EX - \epsilon \cdot IM$$

Why epsilon (ϵ)? \Rightarrow Krugman/Obstfeld/Melitz (KOM) Table 13-1

- $100w = 75w^a + 25w + 10w + 10w 20w^b$
- a: $C = 75w^a = (55w + 0.5w/m \cdot 40m)$

• b:
$$20w^b = \epsilon \cdot IM = 0.5w/m \cdot 40m$$

m = milk, w = wheat

Excursus: The real exchange rate (ϵ)

- Europe produces only potatoes and the US only steaks
- Price for potatoes: $P = 4 \in /Potato$
- Price for steak: $P^* = 2$ \$/Steak
- Nominal FX rate: $E = 1 \in /$ \$

real FX rate:
$$\epsilon = \frac{E \cdot P^*}{P} = \frac{1 \in /\$ \cdot 2\$/\text{Steak}}{4 \in /\text{Potato}} = \frac{2 \in /\text{Steak}}{4 \in /\text{Potato}} = \frac{1}{2} \text{ Potato}/\text{Steak}$$

- An American exchanges 1 steak for 0.5 potatoes.
- An European exchanges 1 potato for 2 steaks.

Excursus: The real exchange rate (ϵ)

• The real exchange rate:

$$\epsilon = \frac{E \cdot P^*}{P}$$

• The natural logarithm of the real exchange rate:

$$ln\epsilon = lnE + lnP^* - lnP$$

Frequently, we use small letters to display the natural log of a variable! \Rightarrow lnE=e

$$ln\epsilon = e + p^* - p$$

$$Y = C + I + G + EX - \epsilon \cdot IM$$

Subtracting C and T from both sides yields:

$$Y - C - T = I + G - T + EX - \epsilon \cdot IM$$

Private saving is defined as $S^P = Y - C - T$

$$S^P = I + G - T + EX - \epsilon \cdot IM$$

Using the definition of the current account ($CA = X - \epsilon \cdot IM$) yields:

$$S^P = I + G - T + CA$$

Solving for CA leads to:

$$CA = S^P + (T - G) - I$$

$$CA = S^P + (T - G) - I$$

- If national saving S^P + (T − G) > investments (I) ⇒ current account surplus.
- If investments (I) > national saving S^P + (T − G) ⇒ current account deficit.
- If investments I = national saving S^P + (T − G) ⇒ current account is balanced.

$$CA = S^P + (T - G) - I$$

If investment increases

- either private or government savings have to go up or
- current account balance will deteriorate.

If government spending goes up

- either private savings have to go up or
- investment will decrease or
- current account balance will deteriorate.

Equation does not tell anything about what will happen.

 \Rightarrow We need a macroeconomic model to forecast effects!

$$CA = S^P + (T - G) - I$$

A country with a high saving rate

- has either a high level of private investment or
- a surplus in the current account.
- A country with a low saving rate
 - has either a low level of private investment or
 - a large deficit in the current account.

S^{P} , I, (T - G), and CA of the USA as a % of GDP



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Balance of payments Source: ECB, Monthly Bulletin 12/2014, S60.



Balance of payments

- The equation CA = FA + ORT is an identity.
- Ex-post it will always hold.
- In the old days and in some textbooks: CA + FA + ORT = 0.

Why should macroeconomists be interested in this identity?

- There are various combinations that fulfill this identity.
- $CA < 0 \& FA + ORT < 0 \Rightarrow$ current account deficit is financed by getting more indebted to the rest of the world.
- CA > 0 & FA + ORT > 0 ⇒ current account surplus & economy accumulates foreign assets.

This condition is closely linked to the equilibrium on the foreign exchange market.

$CA = FA \Rightarrow$ Flow equilibrium on the foreign exchange market

- The left hand side of the BoP contains items that result in an inflow of foreign exchange ⇒ Supply of foreign currency.
- The right hand side of BoP contains items that result in an outflow of foreign exchange ⇒ Demand for foreign currency.
- If CA = FA ⇒ Demand = Supply ⇒ Equilibrium on the foreign exchange market without any interventions of the central bank.

CA = 0 and $FA = 0 \Rightarrow$ Stock equilibrium

- Level of indebtedness does not change \Rightarrow Stock of bonds is constant.
- But also CA = 0 can have different scenarios with respect to the sub-balances of the CA...